

3) A 0.25 kg soccer ball is rolling at 6.0 m/s toward a player. The player kicks the ball back in the opposite direction and gives it a -14.0 m/s velocity. What is the average force during the interaction between the player's foot and the ball if the interaction lasts 0.018 seconds?

4) A 5.00 g bullet is fired with a velocity of 1.00×10^2 m/s toward a stationary solid block of mass 445 g is resting on a frictionless surface. Assume the bullet embeds in the block on a frictionless surface.

a) What is the momentum of the block and bullet *after* the collision?

~~b) What type of collision is this — elastic, perfectly inelastic, or just plain old inelastic? Omit for 2018~~

c) What is the change in momentum of the bullet if it embeds in the block?

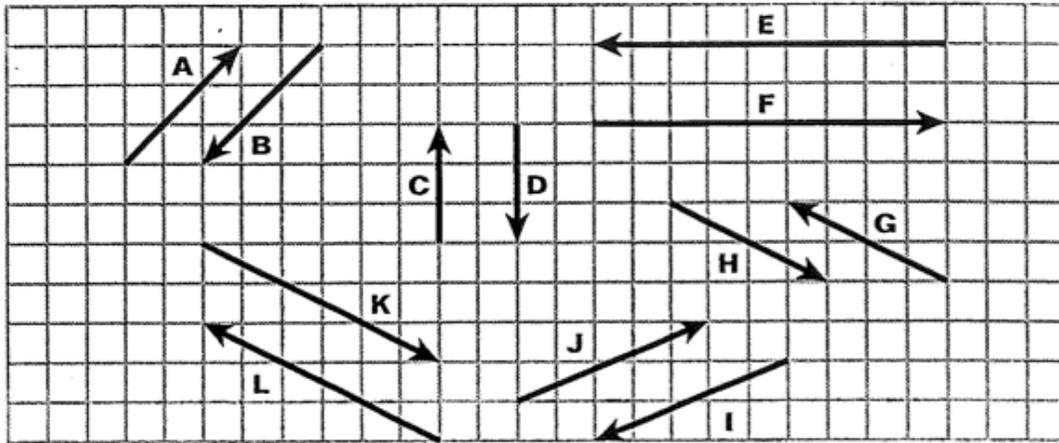
d) What is the change in momentum of the bullet if it ricochets in the opposite direction with a speed of 99 m/s (almost the same speed as it had originally)? Oh, and what type of collision is this?

e) In which case does the block achieve its highest velocity? WHY?

5) A 70.0 kg grandmother is riding on a 10.0 kg tricycle. The tricycle and woman are moving east at 6.0 m/s. Grandma leaps off the tricycle and hits the ground at 8.0 m/s eastward, relative to the ground. Calculate the velocity of the trike after she jumps. *Think about how you set this up!*

Graphing Momenta of Elastic and Inelastic Collisions [NOTE: the subscript 'i' means initial condition and 'f' means final condition.]

Use the following vectors to answer items 1-5.



Consider a collision between two objects. Assume that the initial momentum of object 1 is represented by vector A ($p_{1,i} = A$) and the initial momentum of object 2 is represented by vector K ($p_{2,i} = K$).

1. In the space to the right, construct a vector diagram showing the total initial momentum just before the collision.

2. Which vector in the graph represents the total initial momentum? _____

3. Which vector in the graph represents the total final momentum? _____

4. If the final momentum of object 1 is represented by vector H ($p_{1,f} = H$), construct a vector diagram in the space below to find the final momentum vector $p_{2,f}$ (Hint: Vectorally, $p_{1,f} + p_{2,f} = p_f$).

5. Which vector on the graph represents $p_{2,f}$?

* MOMENTUM IS A VECTOR QUANTITY *

Represent (+) for one direction; use (-) for the opposite!

These are
the ones for
your formula sheet

$$\left\{ \begin{array}{l} P = m v \\ F t = m \Delta v \quad (\text{Impulse}) \end{array} \right.$$

* MOMENTUM IS ALWAYS CONSERVED (OVERALL & VECTORALLY)

$$M_1 v_1 + M_2 v_2 = M_1 v_1' + M_2 v_2' \quad \text{ELASTIC COLLISIONS}$$

$$M_1 v_1 + M_2 v_2 = (M_1 + M_2) v' \quad \begin{array}{l} \text{PERFECTLY} \\ \text{INELASTIC COLLISIONS} \end{array}$$

$$M v = \sum (m_1 v_1' + m_2 v_2' + m_3 v_3' \dots) \quad \text{EXPLOSIONS}$$

These 3 are just mathematical derivatives. You probably shouldn't need to write these down.

Why? These formulas only describe conservation of linear momentum!